

INTERNAL COMBUSTION ENGINE AIR-FUEL RATIO MANAGEMENT UTILISING AN ARTIFICIAL NEURAL NETWORK WITH SLIDING MODE CONTROL DESIGNED TO TOLERATE SENSOR FAILURES

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ABSTRACT:

Using artificial neural networks (ANNs) and sliding mode controls (SMCs) for the active and passive components, respectively, this research offers a new hybrid fault-tolerant control system (HFTCS). The suggested system has the potential to provide both post-fault optimum performance and stability against unanticipated quick disturbances. The observer model of an active fault tolerant control system (AFTCS) includes a fault detection and isolation (FDI) unit that estimates bad sensor data using an artificial neural network (ANN). A robust state-machine controller (SMC) is used to construct the air-to-fuel ratio (AFR) controller in the PFTCS component, which enables for fault management within specified bounds without the need for estimate. SMC will be the passive component that responds immediately to faults, while ANN will be the active component that optimises performance post-fault via active compensation. In addition, a Lyapunov stability study was carried out to guarantee the system's steadiness under both typical and abnormal operating settings. The Matlab/Simulink simulation results demonstrate that the suggested controller can withstand errors in both clean and noisy sensor measurements. When compared to prior efforts, the proposed hybrid algorithm is shown to have greater performance.

Keywords Artificial neural network, sliding mode control, air-fuel ratio control, Lyapunov stability, and fault-tolerant control

I.Introduction

Fault-tolerant control systems (FTCS) are regarded as modern control systems to achieve higher reliability and stability. A fault is classified as a deviation from the standard operating value of a plant parameter. Faults in a system can jeopardize the desired operation of the whole system. An FTCS may work under faulty conditions and stay stable; however, performance loss can occur. The FTCS may also be used to maintain stability because of the safety of people, and missionsensitive applications like aircraft, and unmanned air vehicles (UAVs).1-3 Due to variations in architectures

Table I. List of abbreviations

Abbreviation	Explanation	
FTC	Fault-tolerant control	
HFTCS	Hybrid fault-tolerant control system	
PFTCS	Passive fault-tolerant control system	
AFTCS	Active fault-tolerant control system	
SMC	Sliding mode control	
ANN	Artificial neural network	
AFR	Air-fuel ratio	
AR	Analytical redundancy	
IC Engine	Internal combustion engine	
MVEM	Mean value engine model	
MAP	Manifold air pressure.	
EGO	Exhaust gas oxygen sensor	

and properties, FTCS is divided into two major cate- gories: active and passive. Some symbols and abbrevia- tions related to HFTCS are listed in Tables 1 and 2, respectively.

In active fault-tolerant system (AFTCS), the fault detection and isolation (FDI) unit is designed to detect the fault in the online mode and it isolates faulty val- ues.4-6 The FDI unit compares the values of the actual sensors with the estimated values being generated from the observer for a residual generation. The fault in the component is declared when the residual value exceeds its predefined limiting value. The controller is then reconfigured to adapt according to the current faulty conditions after fault detection and isolation, with little output deterioration.7,8 Unlike AFTCS, passive faulttolerant system (PFTCS) may not need а dedicated FDI unit, and any fault in the design stage of the con- trol system is considered



beforehand in the offline mode.9-11 PFTCS is, therefore, very swift than AFTCS due to lesser computational cost, but it has the draw- back to deal with the faults only that were considered during the construction of the controller.12,13 A combi- nation of all these approaches is also built by integrat- ing both types, namely hybrid fault-tolerant control system (HFTCS). In protective and safety applications, the hybrid system can rapidly respond to faults with the PFTCS property and later optimize itself with the AFTCS property.14-16 In Amin,14 the HFTCS has been proposed with Kalman Filters in the active part and a high-gain PI controller in the passive part. This algo- rithm was limited to the linear range of the highly non-linear sensors of the AFR control system. In Su et al.,15 the HFTCS was proposed for the sensors of the distilla- tion column without using any intelligent control or data-driven technique. In Wang et al.,16 the HFTCS was proposed for the uncertain networked control sys- tems under a discrete event-triggered communication scheme that was not applied to the process plant. A comprehensive study of the FTCS has been men- tioned for the nonlinear system in Li17 for various fault

Symbol	Explanation	
m _{air}	Mass of air	
m _{fuel}	Mass of fuel	
Tin	Input temperature	
P _h	Manifold pressure	
Vin	Input volume	
m _{th}	Mass flow through the valve	
m _{Crt}	Mass flow into cylinders	
R	Gas constant	
Ne	Engine speed	
ex	Residual	
ϕ_{th}	Throttle opening position	
Cd	Discharge coefficient	
$S_{es}(\phi_{th})$	True throttle opening position	
γ	Heat-ratio of air	
τ _f	Fuel vapor process	
ḿ∉(t)	Fuel flow injection	
$\dot{m}_{f}(t)$	Fuel flow into cylinders	
m̂ _€	Vapor fuel flow	
$\ddot{m}_{ff}(t)$	Liquid mass fuel flow	
$\dot{\lambda}(t)$	Lambda sensor	
τ_{λ}	Time delay	
Yd	Desired output	
y	Actual output	
u	Actual Input	
x_{1}/x_{2}	State variables	
α / β	Parameters of engine	
$\overline{x}_1/\overline{x}_2$	Estimated values of observer design	
ÿ	Estimated output	
E	Root mean square error	
η	Learning rate	
$\Xi_i(\mathbf{x})$	Base function	
Δ_i	Unknown constant parameter	
Sai	Conventional sliding mode design	
U _o	Maintain the known terms	
Mi	Unstructured uncertainties	
Θ_i	Structured faults	
Q ₁ and Q ₂	Over and underflow	

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scenarios. In Yang et al., 18 the non-linear hybrid FTCS design was established for feature extraction, and the actuator fault adjustment control was applied. The arti- ficial neural networks (ANN) technique was applied for the switched-type nonlinear systems in Tang et al..19 For a single-tank system with system faults and process disturbances, a fuzzy logicbased passive fault-tolerant control method was proposed in Patel and Shah.20 In Murtaza et al.,21 a super-twisting control-based unified FDI and FTC system for the air path of diesel engines is reported. Kalman Filters (KFs) were also used in the FDI architecture of gas turbines for faulty sensor esti- mation22,23 consisting of both hardware and analytical redundancies.

Artificial neural networks

The artificial neural network (ANN) includes the con- cept of artificial intelligence, whose aim is to allow the systems to learn from experience. ANN works on the



Figure 1. The architecture of ANN.²⁴

same logic as a human brain. It is a smart and modern approach to data-driven problems.24 This non-linear technique is used in real-time problems like the model- ing of the engine because the engine is a highly non-linear system and ANN provides an optimal solution for such highly nonlinear problems.25–27 The architecture of the ANN is shown in Figure 1.

ANN performs a data-parallel function, therefore, sequential simulations are easier than standard systems. The ANN works with both forward and backpropaga- tion. Its multi-layer perceptron model is known as a backpropagation neural network (BPNN).28–30 The input is in the form of samples and is treated with different multiple hidden layers before the required output is mapped through this input. In Gao et al.,30 FTC architecture was proposed with an



adaptive neural net- work for Multi-Input Multi-Output (MIMO) systems. In Wang et al.,31 the ANN is utilized with a backpropa- gation strategy for the fault-tolerant control system. An adaptive neural network for the unmolded dynamic solution is proposed in Yin et al.32 The dataset is mapped to real numbers, that is, (x, y) where x repre- sents the selected feature and y translates the health state to this feature. ANN is described in terms of mathematical form is,

$$a_{j}^{l} = \sigma \sum_{k} w_{ik}^{l} a_{k}^{l-1} + b_{j}^{l} \qquad (1)$$

where wl represents the weight matrix inputs, bl shows the bias vector for layers l, and al is activation vector with the activation elements al.

Sliding mode control

Robust control is a control system architecture tech- nique that can allow systems to manage faults as long



Figure 2. Sliding mode control.33

as the faults stay within the predefined limits.33,34 Robust control systems are static rather than dynamic and do not adjust to their conditions. For example, a high-gain feedback system is a robust control system due to its high gain, and changes in the other para- meters prove negligible due to its robustness. Sliding mode control (SMC) is derived from a variable control system that struc- ture mostly incorporates various control structure features and performs better than existing classical control structures.35,36 There are two phases in the SMC design as represented in Figure 2.

SMC triggers chattering in the actuator because of the rapid switching, therefore, a higher-order SMC named as super twisting algorithm is used to reduce the chattering problem.37 It is a nonlinear technique with exceptional robustness

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properties. In practical terms, SMC facilitates non-linear processes that are subject to large model uncertainties. SMC will form the passive part in our proposed HFTCS to react instantly to faults.38

A customizable surface needs to be built in the first phase. The second phase should be planned to ensure that the system converges to the sliding surface for a minimum time. The phenomenon in which the motion takes place on a sliding surface is known as a sliding mode.38

AFR control of IC engines

The internal combustion engine is a type of heat engine in which the combustion of air and fuel takes place inside the cylinder and is used as the direct motive force. These engines transform the chemical energy of a fuel into thermal energy and use this energy to produce mechanical work. Its two main types are known as Spark Ignition (SI) and Compression Ignition (CI). In SI engines, the combustion takes place with the help of spark plugs, while in CI engines, the heat of compres- sion is used for combustion.39



Figure 3. Air-fuel ratio control of an SI IC engine.³⁹

The term air-fuel ratio (AFR) is defined as a mixture ratio of proper fuel and air in the combustion chamber and it is widely used to enhance the reliability and effi- ciency of the IC engine. Its mathematical expression can be written as:

$$AFR = \frac{m_{air}}{m_{fuel}}$$
(2)

where mair represents the mass of the air and mfuel rep- resents the mass of the fuel. The equation of AFR for gasoline mixture is,

$$25O_2 + 2C_8H_{18} \rightarrow 16CO_2 + 18H_2O + Energy$$
 (3)

According to this equation, AFR is said to be the stoi- chiometric ratio with a value of 14.6:1 for gasoline fuel and is desirable for optimum combustion, fuel energy savings, and reduced emissions levels. If the mixture has AFR greater



than 14.6:1, it is known as a lean mix- ture with greater air than fuel. A mixture with lesser than 14.6:1 is termed a rich mixture with greater fuel than oxygen. However, both of them are considered to be harmful to the engine's performance and life as it decreases their efficiency. The value of AFR is different for various categories of fuels. For example, methanol values are 6.47:1, 9:1 for ethanol, and 34.3:1 for hydrogen.40

The air-fuel mixing system of an SI IC engine is shown in Figure 3. Atmospheric air is filtered first and then passes through a throttle actuator. To change AFR more accurately by the AFR controller, the fuel actuator has been designed to adjust the fuel supply. The fuel is then first purified and transferred to the fuel actuator for flow control via the fuel pump. Air and fuel mixture is then made and provided for combustion to the engine cylinders.

In the AFR control system of the IC engine, four sensors play an important role.

Throttle sensor: Often known as an air sensor. It provides the air throttle position signal to the engine control unit (ECU).

Manifold absolute pressure (MAP) sensor: It is also called a pressure sensor. It provides the suction manifold air pressure value to the ECU.

Speed sensor: It measures the speed of the engine crankshaft and provides to the ECU for controller calculations.

Exhaust gas oxygen (EGO) sensor: It's often referred to as a gas sensor. The concentration of oxygen in the exhaust of the IC engine is measured by an EGO sensor and provided to the ECU.

In the paper, our contribution is to implement the novel HFTCS for the reliable operation of the IC engine to maintain the AFR in faulty conditions and prevent engine shutdown. In the proposed system, SMC will form the passive part to react instantly to faults while ANN will optimize post-fault performance with active compensation. Lyapunov stability analysis was performed to make sure that the system remains stable in both normal and faulty conditions. The fault tolerance is checked with noisv measurements of sen- sors to examine the robustness of the proposed control- ler. The simulation results in the Matlab/Simulink

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environment show that the designed controller is robust to faults in normal and noisy measurements of the sen- sors and reliable. Furthermore, the comparison with the existing works is carried out to demonstrate super- ior performance.

The structure of paper is organized as. Section "Research methodology" discusses the research "Results dology. Section methoand discussions" presents results the and discussions. Section "Comparison with the existing works" elaborates on the comparison. Finally, the last section provides the conclusion of the paper.

Table 3. Model parameters.41,42

Parameters	Values
Engine speed	0-1000 rpm (300 rpm used in this study)
Throttle sensor range	0°-90°
MAP sensor range	0-1 bar
EGO sensor range	0-1 V
Specific heat ratio, γ	1.414

Research methodology

The proposed HFTCS is implemented on the available IC engine model in Simulink. Mathworks explains preliminary knowledge and model working.41.42 In this model, the AFR system of the gasoline engine is built based on the findings of Crossley and Cook43 and was fully validated against dynamometer test data.42 The mathematical equations used for the model construction are in accordance with the mean value engine model (MVEM).44 Moreover, it gives accurate AFR as found in practical gasoline engines.40 HFTCS is a combination of AFTCS as well as PFTCS, as previously mentioned. AFTCS is designed using an ANNbased observer to build the FDI unit. In PFTCS, the AFR controller is designed using a robust SMC that allows systems to manage faults without many computations. The engine speed for this study is set at 300 r/min due to the design speed of the available MATLAB engine model. Therefore, a value of 300 is transmitted to the controller by the FDI unit in the case of a fault in the speed sensor. We utilized constant speed in this study since the engines in the process plant run at a constant speed most of the time, and the designed FDI provides the controller with 300 r/min of speed if the speed sensor fails. Because the paper is focused on



designing an ANN-based AFTCS system, load changes and their impact on speed are not examined. The data for the MAP sensor and the throttle sensor at 300 r/min is derived using the available Matlab model lookup tables (LTs). To generate nonlinear interactions between the MAP sensor and the throttle sensor, the ANN approach is applied. For the generation of the estimated value of malfunctioning sensors, the FDI unit uses these nonlinear relationships. If the throttle and MAP sensors are faulty, the FDI unit generates an estimated value based on ANN observations and supplies to the ECU. The important parameters used in the model are mentioned in Table 3: First of all, the engine can work in its normal conditions if there is no fault. On the other hand, if a single sensor fault will happen, SMC will form the passive part to react instantly to faults while ANN will optimize post-fault performance with active compensation. Noise is introduced into the sensors, and their effect on the output is seen in normal as well as in faulty conditions to check the robustness of the proposed HFTCS. Zero seconds have been assumed when the sensors are switched. However, a delay possibly occurs in the switching actions. The limitations of the work are that only the full fault for sensors is carried out without taking partial faults which will be covered in future works. Engine AFR system modeling The modeling mentioned in this section is generic for complete theoretical analysis and adopted from well known literature.40,45 The control of the air-fuel ratio is divided into different dynamics: air dynamics, sensor model, and fuel dynamics. Air dynamics. The dynamic manifold intake is defined by the mass conservation theory and ideal air gas hypothesis in the following terms:

$$\dot{P}_{in} = \frac{RT_{in}}{v_{in}} \left(\dot{m}_{th} - \dot{m}_{Cyt} \right) + P_{in} \frac{T_{in}}{T_{in}}$$
(4)
$$\dot{P}_{in} = \Psi(\phi_{th}, P_{in}, T_{in}, N_e)$$
(5)

Where, Pin shows manifold pressure, vin demonstrates the input volume, and Tin represents the input tempera- ture; the gas constant is R; fth illustrates the throttle opening position. The mass flow into cylinders is represented as m_ Cyt; the mass flow through the valve is demonstrated as m_ th; and engine

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speed is Ne. The tem- perature is assumed to be constant. Thus, equation (4) becomes:

$$\dot{P}_{in} = \dot{k}_{in} (\dot{m}_{th} - \dot{m}_{Cyt})$$

$$(6)$$
with $\dot{k}_{in} = \frac{RT_{in}}{4}$
(7)

The mass flow through the valve is:

$$\dot{m}_{th} = C_d \frac{P_{id}}{\sqrt{RT_{id}}} S_{es}(\phi_{th}) g (P_r)$$
(8)

Cd the coefficient of discharge. The variable Pid illustrates the pressure due to overhead loading and the load ratio Pr is the overload pressure $P_r = \frac{P_{in}}{r_{in}}$.

 $P_r = \frac{P_{in}}{P_{id}}$. The feature Ses fð thÞ is the area of throttle opening. In an implementation, the product Cd Ses fð thÞ is considered and also known as a single feature of throttle valve opening. It is demonstrated in several different models. The one chosen in this work is:

$$S_{ett}(\phi_{th}) = C_d \quad S_{es}(\phi_{th}) = \sigma_1 \{1 - \cos(\sigma_2 \phi_{th} + \sigma_3)\} + \sigma_4$$
(9)

where s1=0:00051, s2=2:4357, s3=0:052, and s4=0:0011 are constants. The g(Pr) shows the nonlinear relationship as:

$$g\left(P_{r}\right) = \begin{cases} \sqrt{\frac{2\gamma}{\gamma-1}}(P_{r})^{\frac{1}{\gamma}}\sqrt{\left(1-P_{r}^{\frac{\gamma-1}{\gamma}}\right)} & \text{if} \quad P_{r} > \left(\frac{2}{\gamma+1}\right)^{\frac{\gamma}{\gamma-1}} \\ \sqrt{\gamma}\left(\frac{2}{\gamma+1}\right)^{\frac{\gamma+1}{2\gamma-1}} & \text{if} \quad P_{r} \le \left(\frac{2}{\gamma+1}\right)^{\frac{\gamma}{\gamma-1}} \end{cases}$$

$$(10)$$

Fuel dynamics. It is represented as:

$$\begin{cases} \ddot{m}_{ff}(t) = \frac{1}{\tau_f} \left(-\dot{m}_{ff}(t) + x\dot{m}_{fi}(t) \right) \\ \dot{m}_{fv} = (1-x)\dot{m}_{fi}(t) \\ \dot{m}_f(t) = \dot{m}_{fv}(t) + \dot{m}_{ff}(t) \end{cases}$$
(11)

Where m_{-} fi $\partial t P$ represents the fuel flow injection

1/2kg=s	-, tf i	is the
fuel vapor process, m_ fv is vapor	fuel	flow
¹ /2kg=s	-,	m€ff
ðtÞ shows liquid mass fuel flow ½kg=	s	
, and m_ f dtP shows fuel flow in the	e cyli	nders
¹ /2kg=s	- , ,	is a
state vector.44 The second solution	has	been
selected in our case:		

$$\tau_f(N_e) = \sigma_5 N_e^{-\sigma_6}$$
(12)
$$\varkappa(N_e) = \sigma_7 + \sigma_8 N_e$$
(13)

Where s5, s6, s7, s8 are constant parameters. The injector model is given by a linear relationship between the mass fuel flows from the injectors. The air-fuel ratio is then obtained:

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$$\lambda_{cyl} = \frac{\dot{m}_{cyl}(t)}{\lambda_s \dot{m}_f(t)} \tag{14}$$

 $00m_{cyl}$ (t)00 is mass of cylinder, m_{f} (t) is mass fuel flow into the cylinder, "lcyl" is AFR in the cylinder.

Sensor model. The lambda sensor model is represented as:

$$\dot{\lambda}(t) = -\frac{1}{\tau_{\lambda}}\lambda(t) + \frac{1}{\tau_{\lambda}}\lambda_{cyl}(t - \tau(N_e(t)))$$
(15)

where tl represents the time delay. The time delay t in terms of engine speed NeðtP is represented as:

$$\tau(N_e(t)) = \frac{60}{N_e(t)} \left(1 + \frac{1}{n_{cyl}}\right) \tag{16}$$

State-space representation. It is represented as:

$$\begin{cases} \dot{x}_1 = f_1(.)x_1(t) - f_2(.)u(t) \\ \dot{x}_2 = -\frac{1}{\tau_{\lambda}}\lambda(t) + \frac{1}{\tau_{\lambda}}\lambda_{cyl}(t - \tau(N_e(t))) \end{cases}$$
(17)

With $x_1(t) = \lambda_{cyl}, x_2(t) = \lambda(t)$, and $u(t) = \dot{m}_{fi}(t)$:

$$f_{1}(.) = -\frac{1}{\tau_{\lambda}(N_{e})} - \frac{\ddot{m}_{cyl}}{m_{cyl}(N_{e}, P_{in})}$$
(18)
$$f_{2}(.) = \lambda_{s} \frac{\chi(N_{e})}{\tau_{f}(N_{e})} m_{cyl}(N_{e}, P_{in})$$
(19)

Here " $f_1(.)$ " and " $f_2(.)$ " are nonlinear functions that are bounded as follows: $f_{-i} \leq f_i(.) \leq \overline{f_i}$ for $i \in \{1, 2\}$.

Controller design

The controller design is adopted from Sui and Hall46 and given below:

$y = u + \alpha x_1 + \beta x_2$	(20)
$u = y_d + \alpha x_1 + \beta x_2$	(21)

Where the input is u, the output is y, and the esired output is yd, the state variables are x1 and x2, engine parameters are a and b, and finally Ne is engine speed. However, in this situation, we used predicted state observers,

$$u = y_d + \alpha \bar{x}_1 + \beta \bar{x}_2 \tag{22}$$

where x1 and x2 are the predicted values.

$$E = \frac{1}{2}(y - \bar{y})^2$$
(23)

Where the predicted output is y, the mean square error is E. The estimated output is represented as,

$\bar{y} = u + \alpha \bar{x}_1 + \beta \bar{x}_2$	(24)
$E = \frac{1}{2}(y - y_d)^2$	(25)

Equation (25) shows the mean square error function, so if we take the partial derivative of the previous equation,

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$$\frac{\partial E}{\partial x_1} = -\alpha(y - y_d)$$
(26)
$$\frac{\partial E}{\partial x_2} = -\beta(y - y_d)$$
(27)

The gradient descent algorithm can change the state variables,

$$\bar{x}_1(k+1) = \bar{x}_1(k) - \eta \frac{\partial E}{\partial x_1}$$
(28)
$$\bar{x}_2(k+1) = \bar{x}_2(k) - \eta \frac{\partial E}{\partial x_2}$$
(29)

Where the estimated inputs are x1 and x2 are the predicted values. Adding equations (26) and (27) into the (28) and (29) we get,

$$\bar{x}_1(k+1) = \bar{x}_1(k) + \eta \alpha(y-y_d)$$
(30)
$$\bar{x}_2(k+1) = \bar{x}_2(k) + \eta \beta(y-y_d)$$
(31)

$$\therefore \eta = \frac{1}{\alpha^2 + \beta^2} \tag{32}$$

Add the value of h in the (30) and (31) equations,

$$\bar{x}_{1}(k+1) = \bar{x}_{1}(k) + \eta \frac{\alpha}{\alpha^{2} + \beta^{2}} (y - y_{d})$$
(32)
$$\bar{x}_{2}(k+1) = \bar{x}_{2}(k) + \eta \frac{\beta}{\alpha^{2} + \beta^{2}} (y - y_{d})$$
(33)

Lyapunov stability analysis is performed to check the system's stability. Let's assume the Lyapunov function is,

$$V(x(k)) = (y_d - y)^2$$
 (34)

Put the values of actual and desired outputs in equation (34),

$$V(x(k)) = [\alpha(x_1(k) - \bar{x}_1(k)) + \beta(x_2(k) - \bar{x}_2(k))] \quad (35)$$

The error estimation is,

$$\bar{x}_1(k) = (x_1(k) - \bar{x}_1(k))$$
(36)
$$\bar{x}_2(k) = (x_2(k) - \bar{x}_2(k))$$
(37)

So the Lyapunov function is,

$$V(x(k)) = [\alpha \tilde{x}_1(k) + \beta \tilde{x}_2(k)]$$
 (38)

If we change $\partial k P$ cycle into $\partial k+1P$ the cycle then the equation is,

$$V(x(k+1)) = [\alpha \tilde{x}_1(k+1) + \beta \tilde{x}_2(k+1)]$$
(39)

Where,

$$\tilde{x}_1(k+1) = (x_1(k+1) - \bar{x}_1(k+1))$$
 (40)

$$\tilde{x}_2(k+1) = (x_2(k+1) - \bar{x}_2(k+1))$$
 (41)

Adding equations (32) and (33) into the (40) and (41) as follows,



$$\begin{split} \bar{x}_1(k+1) &= x_1(k+1) - \bar{x}_1(k) - \eta \frac{\alpha}{\alpha^2 + \beta^2} (y - y_d) \\ (42) \\ \bar{x}_1(k+1) &= x_2(k+1) - \bar{x}_2(k) - \eta \frac{\beta}{\alpha^2 + \beta^2} (y - y_d) \\ (43) \end{split}$$

Taking the difference between actual and predicted output is,

$$y - y_{d} = \alpha(x_{1}(k) - \bar{x}_{1}(k)) + \beta(x_{2}(k) - \bar{x}_{2}(k)) \quad (44)$$

$$y - y_{d} = \alpha \bar{x}_{1}(k) + \beta \bar{x}_{2}(k) \quad (45)$$

$$\bar{x}_{1}(k+1) = x_{1}(k+1) - \bar{x}_{1}(k) - \frac{\alpha}{\alpha^{2} + \beta^{2}} [\alpha \bar{x}_{1}(k) + \beta \bar{x}_{2}(k)] \quad (46)$$

$$\bar{x}_{2}(k+1) = x_{2}(k+1) - \bar{x}_{2}(k) - \frac{\beta}{\alpha^{2} + \beta^{2}} [\alpha \bar{x}_{1}(k) + \beta \bar{x}_{2}(k)] \quad (47)$$

$$x_{1}(k+1) = x_{1}(k) \quad (48)$$

$$x_{2}(k+1) = x_{2}(k) \quad (49)$$

$$\bar{x}_{1}(k+1) = x_{1}(k) - \frac{\alpha}{\alpha^{2} + \beta^{2}} [\alpha \bar{x}_{1}(k) + \beta \bar{x}_{2}(k)] \quad (50)$$

$$\bar{x}_{2}(k+1) = x_{2}(k) - \bar{x}_{2}(k) - \frac{\beta}{\alpha^{2} + \beta^{2}} [\alpha \bar{x}_{1}(k) + \beta \bar{x}_{2}(k)] \quad (51)$$

$$\bar{x}_{1}(k+1) = \bar{x}_{1}(k) - \frac{\alpha}{\alpha^{2} + \beta^{2}} [\alpha \bar{x}_{1}(k) + \beta \bar{x}_{2}(k)] \quad (52)$$

$$\bar{x}_2(k+1) = \tilde{x}_2(k) - \frac{\beta}{\alpha^2 + \beta^2} [\alpha \tilde{x}_1(k) + \beta \tilde{x}_2(k)] \quad (53)$$

The Lyapunov function can be written as,

$$V(x(k+1)) = \begin{bmatrix} \alpha \begin{bmatrix} \tilde{x}_1(k) - \frac{\alpha}{\alpha^2 + \beta^2} \left[\alpha \tilde{x}_1(k) + \beta \tilde{x}_2(k) \right] \end{bmatrix} + \\ \beta \begin{bmatrix} \tilde{x}_2(k) - \frac{\beta}{\alpha^2 + \beta^2} \left[\alpha \tilde{x}_1(k) + \beta \tilde{x}_2(k) \right] \end{bmatrix} \end{bmatrix}$$
(54)
$$V(x(k+1)) = 0$$
(55)

So, the difference between both of them is,

$$V(x(k + 1)) - V(x(k)) = -(y_d - y)^2$$
(56)

$$V(x(k + 1)) - V(x(k)) = -V(x(k))$$
(57)

$$\therefore V(x(k)) = \dot{V} (x(k))$$
(58)

$$V(x(k + 1)) - V(x(k)) = \dot{V} (x(k))$$
(58)

The last equation shows that the difference between both cycles is negative definite and hence the Lyapunov stability proof is successfully achieved. The observer design with ANN was already discussed in Shahbaz and Amin4 for the AFTCS part. SMC mostly incorporates various control structure features and facilitates non-linear processes that are subject to large model uncertainties. SMC will

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form the passive part to react instantly to faults. Consider the MIMO system,

$$\dot{x}(t) = f(x) + \sum_{i=1}^{m} g_i(x)(u_i + F_i(x, t))$$
(59)
$$y_i = h_i(x)$$
(60)

Where u represents the input, x shows the state vector, and y is the output of the system. f $\partial x P$ and gi $\partial x P$ are vector fields, and hi $\partial x P$ is a smooth function. Fi ∂x , T β demonstrates the uncertainty and it is further classified into structured and unstructured parts:

$$F_i(x,t) = \vartheta_{si} + \vartheta_{ui}(x,t) \tag{61}$$

Where qsi is partial uncertainty and it is written as,

$$\vartheta_{si}(x) = \Delta_i \Xi_i(x) \tag{62}$$

Consider sliding surface:

$$S_i = S_{oi}(x) + z_i \tag{63}$$

Where S_i , $S_{oi}(x)$, and $z_i \in \mathbb{R}^m$. S_i is a sliding variable, and S_{oi} is a conventional sliding mode design. The structure of sliding surfaces is controlled by:

$$\dot{S}_{i} = \frac{\partial S_{oi}}{\partial x_{i}} \Big[f_{i}(x) + \sum_{k=1}^{m} g_{k}(x) \{u_{k} + F_{k}(x,t)\} \Big] + \dot{z}_{i}$$

$$(64)$$

$$\dot{S}_{i} = \frac{\partial S_{oi}}{\partial x_{i}} f_{i}(x) + \frac{\partial S_{oi}}{\partial x_{i}} \sum_{k=1}^{m} g_{k}(x) \{u_{k} + F_{k}(x,t)\} + \dot{z}_{i}$$

$$(65)$$

We can write as:

$$\dot{S} = N(x) + G(x)(U+F) + \dot{Z}$$
 (66)

Where $N(x) = \left[\frac{\partial S_{o1}}{\partial x_1}f_1(x), \dots, \frac{\partial S_{om}}{\partial x_m}f_m(x)\right]^T$, $\dot{Z} = [\dot{z}_1, \dots, \dot{z}_m]^T$, $G(x) = [G_1(x), \dots, G_m(x)]^T$, and $G_l(x)(U+F) = \frac{\partial S_{ol}}{\partial x_l}$ $\sum_{k=1}^m g_k(x)\{u_k + F_k(x,t)\}$. Taking:

$$U = U_o + \bar{U}$$
 (67)

Where Uo maintain the known terms, and Uo manage the uncertain terms and actuators' faults. Assume that G1ðxÞ exists and taking Uo as:

$$U_o = G^{-1}(x) \{ -N(x) \}$$
(68)

Where Uo provides the desired output and eliminates all uncertainties and faults as well. Taking _Z as:

$$\dot{Z} = -N(x) - G(x)U_o \tag{69}$$

The remaining system can be handled over:

$$S_i = F_i + \bar{u}_i$$
(70)
$$\dot{S}_i = \Delta_i \Xi_i(x) + \vartheta_{ui}(x, t) + \bar{u}_i$$
(71)

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Unstructured uncertainties are assumed to be handled as:

 $|\vartheta_{ui}(x,t)| \le \Omega |S_i(x)|^{\frac{1}{2}} \tag{72}$

The controller structure ui is taken as:

$$\bar{u}_i = -M_i |S_i|^{\frac{1}{2}} \operatorname{sign}(S_i) - \hat{\Delta}_i \Xi_i(x)$$
(73)

The Lyapunov function is used to get adaptation laws of unknown parameters (Δ_i) :

$$V = \sum_{i=1}^{m} \left[|S_i| + \frac{1}{2\gamma_i} \hat{\Delta}_i^2 \right]$$
(74)

Where $\gamma_i > 0$. Consider now the time derivative of the Lyapunov function (74).

$$\dot{V} = \sum_{i=1}^{m} \left[sign(S_i) \dot{S}_i + \frac{1}{\gamma_i} \widetilde{\Delta}_i \widehat{\Delta}_i \right] \sum$$
(75)

Using equations (71) to (73) in (75).

$$\begin{split} \dot{\nu} &= \sum_{i=1}^{m} \left[sign(S_i) \left\{ \vartheta_{ui}(x,t) - M_i |S_i|^{\frac{1}{2}} sign(S_i) - \left(\hat{\Delta}_i - \Delta_i\right) \Xi_i(x) \right\} + \frac{1}{\gamma_i} \tilde{\Delta}_i \hat{\Delta}_i \right] \\ (76) \\ \dot{\omega} &= \sum_{i=1}^{m} \left[sign(S_i) \left\{ \Omega_i |S_i|^{\frac{1}{2}} - M_i |S_i|^{\frac{1}{2}} \right\} + \tilde{\Delta}_i \left\{ -sign(S_i) \Xi_i(x) + \frac{1}{\gamma_i} \dot{\Delta}_i \right\} \right] \\ (77) \end{split}$$

If $\hat{\Delta}_{is}$ are exactly known, then $\tilde{\Delta}_{i} = 0$ and \dot{V} becomes:

$$\dot{V} \leq \sum_{i=1}^{m} \left[|S_i|^{\frac{1}{2}} \operatorname{sign}(S_i) \{ \Omega_i - M_i \operatorname{sign}(S_i) \} \right]$$
(78)

Selecting $M_i > \Omega_i$, \dot{V} becomes negative. But $\hat{\Delta}_i s$ are not known perfectly, hence choosing the adaptation laws as:

$$\hat{\Delta}_i = \gamma_i sign(S_i) \Xi_i(x) \tag{79}$$

We have:

$$\dot{\mathcal{N}} \leqslant \sum_{i=1}^{m} \left[|S_i|^{\frac{1}{2}} \operatorname{sign}(S_i) \{ \Omega_i - M_i \operatorname{sign}(S_i) \} \right]$$
(80)

Lyapunov stability analysis in equation (80) provides the best-estimated values of faults and does not require any constraints on structured disturbances.

The non-linear model of the IC engine described earlier provides the most important properties of the proposed controller. From the previous equation (4) of air dynamics, we can write as:

$$\dot{P}_{in} = \frac{RT_{in}}{v_{in}} \left(\dot{m}_{th} - \dot{m}_{Cyt} \right) + P_{in} \frac{\dot{T}_{in}}{T_{in}}$$

Where $k_{in} = \frac{RT_{in}}{N}$

$$\dot{P}_{in} = k_1 (\dot{m}_{Cyt} - u_1 - P_{id})$$

$$P_{id} = k_2 (\dot{m}_{Cyt} - u_2 - u_1)$$
(81)
(82)

Where u1 and u2 is control inputs and k1 and k2 is mass flows. The output as set point regulation errors are selected as:

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$$y_1 = \dot{m}_{Cyt} - \dot{m}^d{}_{Cyt} \tag{83}$$

Where \dot{m}^{d}_{Cyt} is the desired mass flow into the cylinder.

$$y_2 = \dot{P}_{id} - \dot{P}^d_{id} \tag{84}$$

Where \dot{P}^{d}_{id} is desired overloading manifold pressure. Input-output linearization of output equations (83) and (84), put in equations (81) and (82) gives:

$$\dot{y}_1 = -\left(\frac{\dot{m}_{Cyt}}{\tau}\right) - a(\dot{m}_{Cyt} - k_{in}\dot{P}_{in}) + bu_2 - au_1$$
 (85)
 $\dot{y}_2 = k_2(k_{in}\dot{P}_{in} + \dot{m}^d_{Cyt}) - k_2u_1 - k_2u_2$ (86)

Control law:

The derivatives of the sliding variables after taking into account structured and unstructured uncertainties are:

$$\dot{S}_{1} = -\left(\frac{m_{Cyt}}{\tau}\right) - a\left(\dot{m}_{Cyt} - k_{in}\dot{P}_{in}\right) + bu_{2} - au_{1} - \Theta_{1} - \vartheta u_{1} + \dot{z}_{1}$$
(87)
$$\dot{S}_{2} = k_{2}\left(k_{in}\dot{P}_{in} + \dot{m}^{d}_{Cyt}\right) + k_{2}u_{2} - k_{2}u_{1} - \Theta_{2} - \vartheta u_{2} + \dot{z}_{2}$$
(88)

Here, Yi represents the structured faults. These structured faults can be represented in terms of flow rates:

$$\Theta_1 = \Delta_1 \Xi_1(x) = \Delta_1 \dot{m}_{Cyt}$$

$$\Theta_2 = \Delta_2 \Xi_2(x) = \Delta_2 \dot{m}_{th}$$
(89)
(90)

Where Y1 and Y2 represents the over and under-flow through exhaust gas recirculation and variable geometry turbo actuators respectively. It is assumed that unstructured uncertainties are bounded:

$$|\vartheta_{u1}(x,t)| \le \Omega_1 |S_1(x)|^{\frac{1}{2}}, \quad \Omega_1 > 0$$
 (91)
 $|\vartheta_{u2}(x,t)| \le \Omega_2 |S_2(x)|^{\frac{1}{2}}, \quad \Omega_2 > 0$ (92)

The control action is proposed in equation (67). To work out uoi (control that can stabilize unaffected plant), ignoring structured faults, and unstructured faults in equations (85) and (86):

$$\dot{S}_{o1} = -\left(\frac{\dot{m}_{Cyt}}{\tau}\right) - a\left(\dot{m}_{Cyt} - k_{in}\dot{P}_{in}\right) + bu_2 - au_1 - \Theta_1 - \vartheta u_1 + \dot{z}_1$$
(93)





Figure 4. Proposed model of HFTCS.

 $\dot{S}_{o2} = k_2 (k_{in} \dot{P}_{in} + \dot{m}^d_{Cyt}) + k_2 u_2 - k_2 u_1 - \Theta_2 - \vartheta u_2 + \dot{z}_2$ (94)

For ideal plant:

$$u_{o1} = \frac{1}{a+b} \left[-\dot{m}_{Cyt} \left(a + \frac{1}{\tau} \right) + (a+b)k_{in}\dot{P}_{in} + b\dot{m}^{d}_{Cyt} \right]$$
(95)
$$u_{o2} = \frac{1}{a+b} \left[-\dot{m}_{Cyt} \left(a + \frac{1}{\tau} \right) + b\dot{m}^{d}_{Cyt} \right]$$
(96)

Results and Discussions

For fault detection, isolation, and reconfiguration of controllers, FDI is implemented in the model with ANN. The FDI unit continuously tracks the sensor values for any fault. If the sensor value exceeds the specified limit, a fault is detected by threshold

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Figure 5. Performance of AFTCS.

comparison. Once the fault has been observed, an estimated value of the observer model based on ANN is substituted for the fault value and is supplied to the ECU. The active part performs post-fault optimal performance for the active compensation by providing the estimated value of the faulty sensor by ANN observer using the other healthy sensors. Two ANNs have been introduced for throttle and MAP sensors. Since the engine is running at 300 r/min, this value has been supplied to the controller if a fault occurs in the speed sensor. The AFTCS portion is simulated with sensor faults one at a time and the effects on the AFR are observed at t=5 s due to the internal warm-up delay of the engine, as shown in Figure 5. Results from Figure 5 show that the AFR is constantly degraded to 11.7 with every single sensor fault on the AFTCS portion alone. The passive part of the system consists of robust SMC. It provides a very quick response against fault, and after a very minor glitch in the output, the system maintains its steady state. Since the AFR decreases to 11.7 in the AFTCS part, the SMC controller with a fuel actuator is designed to keep it to 14.6 in faulty conditions. In each of the four sensors, the faults are inserted at t=0 s, and the results on the AFR are detected at t=5 s due to internal warm-up times of 5 s in the original model. Figure 6 shows the results achieved for each sensor without noise in the sensors. The output response of the proposed



PFTCS for faults in each sensor is demonstrated in Figure 6. In the existing model, AFR is affected by faults in each sensor and decreases to 11.7, that is, degradation in the performance in faulty conditions. However, the proposed PFTCS maintains AFR to 14.6 in normal as well as faulty conditions. These results show that the proposed PFTCS is robust to single-sensor faults. The performance of the overall HFTCS for the four sensors is shown in Figure 7 in normal and faulty conditions. The system maintains an AFR of 14.6 in faulty situations, according to the results. The proposed HFTCS is sensor faults, preserving its resistant to performance and thereby avoiding AFR degradation. The results represent that after a very minor glitch, the system maintains its steady state with the help of a robust SMC controller. Table 4 illustrates the robustness of







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Figure 7. Performance of HFTCS without noise. Table 4. Performance of Proposed HFTCS without noise

introduced.

Faulty sensor	AFR	Stability issue
Throttle sensor	No effect on AFR	AFR is stable
Speed sensor	No effect on AFR	AFR is stable
MAP sensor	No effect on AFR	AFR is stable
EGO sensor	No effect on AFR	AFR is stable

Table 5. Parameters of noise for sensors.

Parameters of noise	MAP and EGO	Speed and throttle
Seed	[23341]	[23341]
Sampling time	0.1	0.1
Noise power	0.0001	0.01

Table 5. Parameters of noise for sensors.

Parameters of noise	MAP and EGO	Speed and throttle
Seed	[23341]	[23341]
Sampling time	0.1	0.1
Noise power	0.0001	0.01

the proposed HFTCS with ANN and SMC without noisy conditions of sensors. After confirming adequate efficiency in noise-free operation, the system response is tested by integrating noise into sensor measurements. Table 5 shows the noise parameters introduced in the sensors. Greater noise is incorporated for throttle and speed sensor measurements due to high sensor values. Due to the very limited range, smaller noise is added in sensors EGO and MAP. In Figure 8, the effects of AFR are illustrated in normal and faulty conditions. The results demonstrated that after very minor sparks in the output, the system achieves the set point even under faulty conditions. The AFR remains stable with small misfires and the system continues to operate successfully in the noisy conditions of sensors. The performance of the proposed HFTCS with noise introduced is shown in Table 6. The output response in Figure 8 is dominated by the PFTCS that is running in parallel with AFTCS. The active part performs post-fault optimal performance for the active compensation by providing the estimated value of the faulty sensor by ANN observer using the other healthy sensors. Since both controllers work in parallel, the active compensation effect does not become much evident due to the dominance of the passive controller. However, it becomes very much evident in only active FTCS as shown in Figure 5.



Comparison with the existing works

In this section, a comparison of the proposed HFTCS with the existing models is discussed. We have designed an HFTCS with dedicated non-linear controllers



Figure 8. Performance of HFTCS in noisy conditions.

 Table 6. Performance of Proposed HFTCS with noise introduced.

Faulty sensor	AFR	Stability issue
Throttle sensor	No effect on AFR	AFR is stable
Speed sensor	No effect on AFR	AFR is stable
MAP sensor	No effect on AFR	AFR is stable
EGO sensor	No effect on AFR	AFR is stable

known as ANN and SMC. The previous work has not used the ANN and SMC together for HFTCS design for the AFR system of the IC Engine. In the proposed system, SMC will form the passive part to react instantly to faults while ANN will optimize post-fault performance with active compensation. Moreover, Lyapunov stability analysis was performed to make sure that the system remains stable in both normal and faulty conditions. The estimated values of the throttle and MAP sensors, as well as the accompanying mean square errors (MSE), are shown in Shahbaz and Amin.4 ANN approach can cover the complete nonlinear range of the MAP sensor, which is also less computationally expensive than lookup tables and hence preferred. Due to its valuable functionalities of self-organization, and non-linear learning. modeling capabilities, the ANN technique is

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currently becoming a preferred strategy in fault diagnostics. In Amin and Mahmood-ul-Hasan,14 the HFTCS was proposed with Kalman Filters in the active part and a high-gain PI controller in the passive part. This algorithm was limited to the linear range of the highly nonlinear sensors of the AFR control system. In Su et al.,15 the HFTCS was proposed for the sensors of the distillation column without using any intelligent control or data-driven technique. In Wang et al.,16 the HFTCS was proposed for the uncertain networked control systems under a discrete event-triggered communication scheme that was not applied to the process plant. In Yang et al.,48 the authors focused on faulttolerant control of Markov jump systems (MJS) with Ito[^] stochastic process and output disturbances. A proportional-derivative sliding mode observer (SMO) and an observer-based controller are first devised and fabricated. In Yang et al.,49 the authors provided a fault-tolerant compensation control strategy for Markov jump systems against nonlinearity, simultaneous additive, and multiplicative actuator failures. A fuzzy logic system (FLS) was used to estimate the nonlinear by using functions and the adaptive backstepping approach, an FLS-based adaptive fault-tolerant compensation controller is developed. The proposed methods worked very well for the stochastic disturbances and simultaneous additive and multiplicative type faults in the actuators. However, the stochastic delays and actuator faults were not studied in this paper. The proposed HFTCS has PFTCS for AFR control, which is based on SMC, and AFTCS based on ANN. With the use of a fuel throttle actuator, the proposed HFTCS will compensate for the AFR degradation by the AFR control. In the proposed system, SMC will form the passive part to react instantly to faults while ANN will optimize post-fault performance with active compensation as shown in Figure 5. The previous works mentioned in the literature have not vet utilized any intelligent control technique like ANN for the AFTCS and regular sliding mode control for the PFTCS, as proposed in this paper. The proposed model was found to be robust to faults in the normal and noisy conditions of the sensors. Therefore, the proposed HFTCS with ANN and SMC presents

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an optimum and reliable solution for AFR control in SI IC engines. Table 7 provides a comprehensive comparison of the suggested strategy with previously used strategies.

Name of controller Major drawback Chattering reduction Degree of robustness Response against noise Proposed HFTCS Misfires Can be further High Relatively low misfiring observed improved with advanced SMC Does not elimi HFTCS based on Linear range of Moderate High misfiring observed Kalman filter HFTCS based on GA and HOSMC HFTCS based on FLC and HOSMC AFTCS based on sensors Oscillatio sensors Oscillations in AFR transient response Oscillations in AFR transient response Performance High High misfiring observed High misfiring observed High Does not eliminate Unknown duration for High misfiring observed handling faults Not a robust technique ANN and FLC AFTCS based on chattering Does not elin chattering High misfiring observed

Conclusions

In this paper, a novel HFTCS was proposed for the AFR control of the IC engine based on the advanced non-linear controllers: ANN and SMC. With the use of a fuel throttle actuator, the proposed HFTCS was able to compensate for the AFR degradation with SMC that formed the passive part to react instantly to faults while able to optimize post-fault ANN was performance with active compensation. The Lyapunov stability analysis was also performed to make sure that the system remains stable in both normal and faulty conditions. The fault tolerance was checked with noisy measurements of sensors to examine the robustness of the proposed controller. The simulation results in the Matlab/Simulink environment show that the designed controller is robust to faults in normal and noisy measurements of the sensors and reliable. Furthermore, a comparison with the existing works was also carried out to demonstrate its superior performance. Future works may include the design of HFTCS with modern control techniques known as Deep learning with Adaptive SMC, Neuro-Fuzzy SMC, and Integral SMC by testing at higher speeds considering load variations. Partial faults may also be considered with these techniques with experimental verification using the hardware-in-the-loop technique. Another direction is to consider the stochastic delays for fault-tolerant AFR controller design. the Acknowledgement The authors would like to thank colleagues for suggestions to improve paper quality. Declaration of conflicting interests The author(s) declared no potential conflicts of interest with respect to the research, authorship, and/or publication of this article. Funding

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